



DIRO
IFT 1215

DÉMONSTRATION N° 2

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Exercices tirés du livre de Référence

IRV ENGLANDER.

**The Architecture of Computer Hardware
and Systems Software : An Information
Technology Approach.**

Wiley, ISBN : 978-1-118-32263-5, 5^e édition, 2014

Chapter 5	Représentation des données entières
Exercices numéro	5.2(a,b), 5.4, 5.5(a,b,c), 5.9(a,b), 5.13

Chapter 6	Représentation flottante
Exercices numéro	cf. verso

6.2

a. Convert the decimal number 19557 to floating point. Use the format SEEMMMM. All digits are decimal. The exponent is stored excess-40 (not excess-50). The implied decimal point is at the *beginning* of the mantissa. The sign is 1 for a positive number, 7 for a negative number. Hint : Note carefully the number of digits in the mantissa!

- b. What is the range of numbers that can be stored in this format ?
- c. What is the floating point representation for -19557 ?
- d. What is the six digit 10's complement representation for -19557 ?

6.3

a. Convert the number 123.57×10^{15} to the format SEEMMMM, with the exponent stored excess-49. The implied decimal point is to the right of the first mantissa digit.

- b. What is the smallest number you can use with this format before under-flow occurs ?

6.5

Convert the following binary and hexadecimal numbers to floating point format. Assume a binary format consisting of a sign bit (negative=1), a base 2, 8-bit, excess-128 exponent, and 23 bits of mantissa, with the implied binary point to the right of the first bit of the mantissa.

- a. 110110.011011_2
- b. -1.1111001_2
- c. $-4F7F_{16}$
- d. 0.00000000111111_2
- e. 0.1100×2^{36}
- f. 0.1100×2^{-36}

6.7

Represent the decimal number 171.625 in IEEE 754 format.