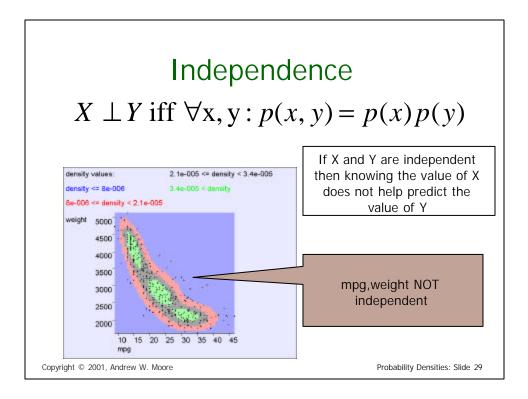
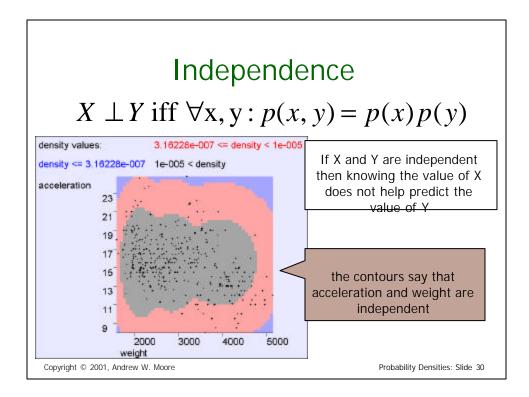
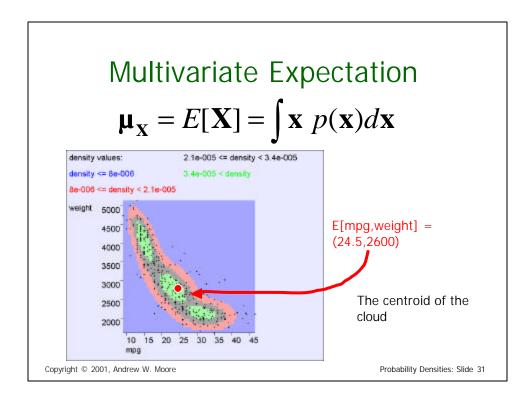
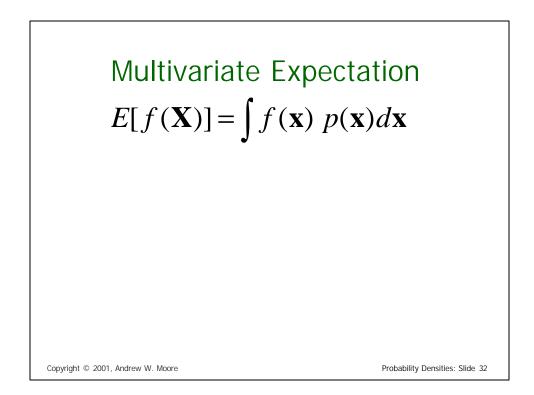


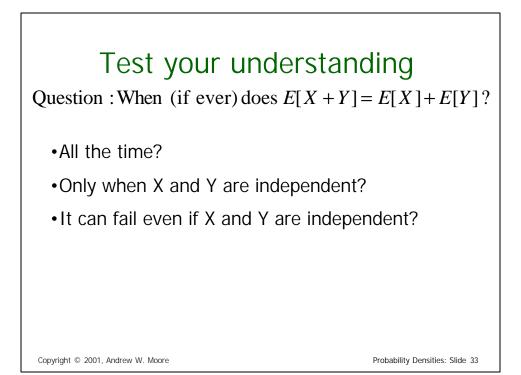
In m  
dimensionsLet 
$$(X_1, X_2, ..., X_m)$$
 be an  $n$ -tuple of continuous  
random variables, and let R be some region  
of  $\mathbb{R}^m$  ... $P((X_1, X_2, ..., X_m) \in R) =$   
 $\iint ... \int p(x_1, x_2, ..., x_m) dx_m, ... dx_2, dx_1$   
 $(x_1, x_2, ..., x_m) \in R$ 

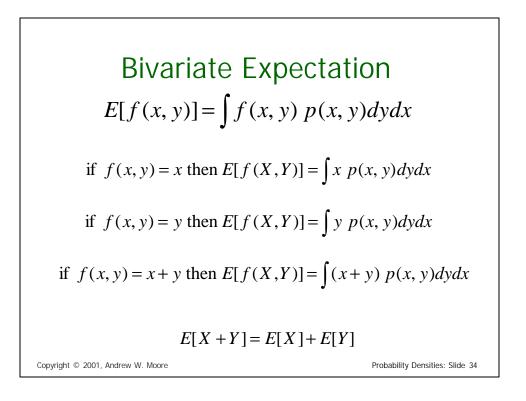


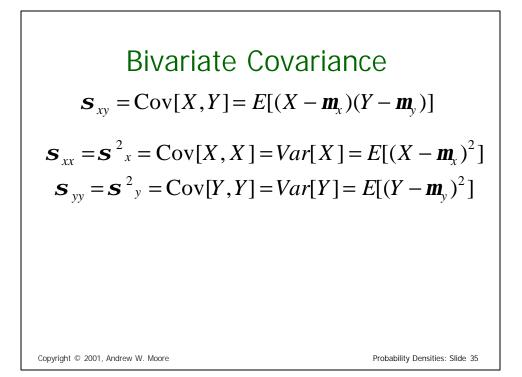


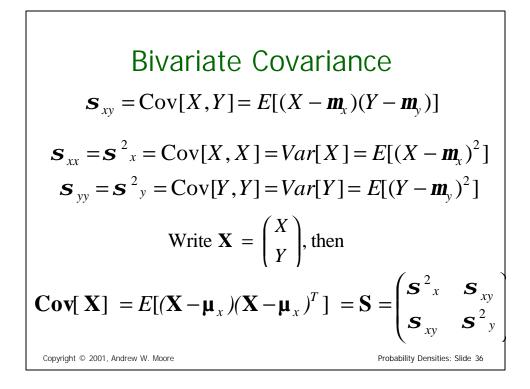


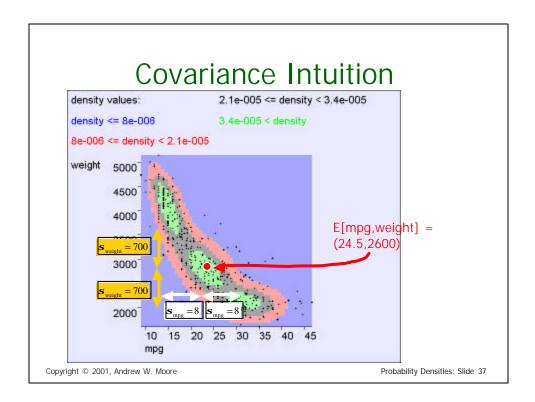


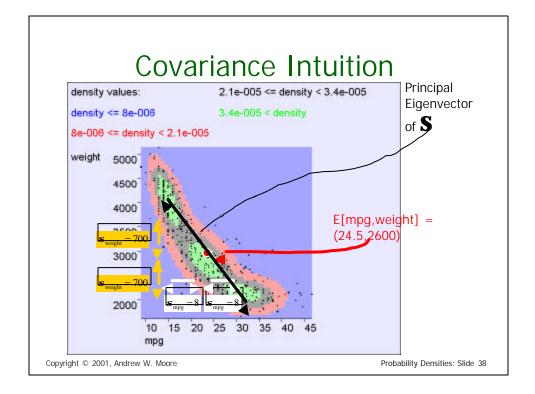


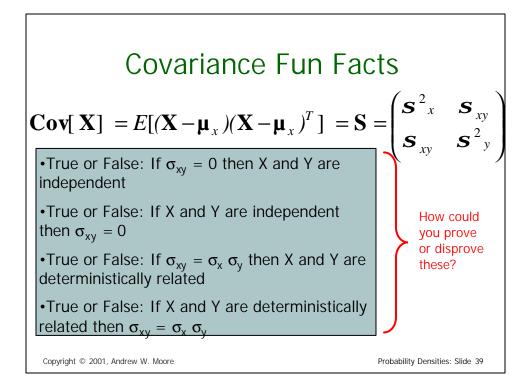


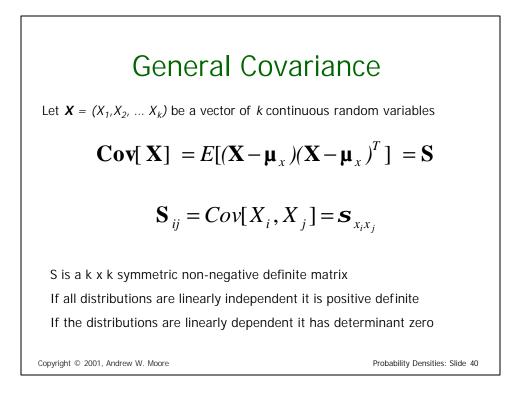


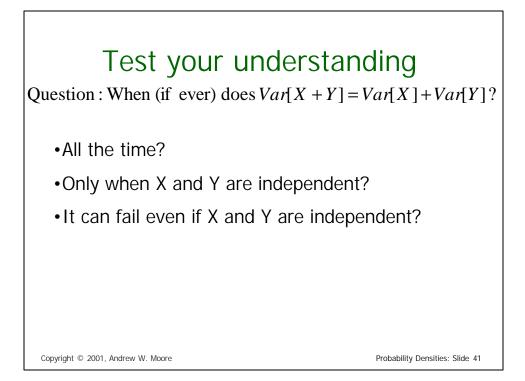


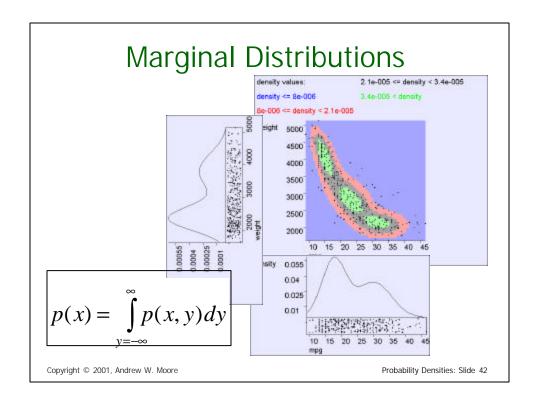


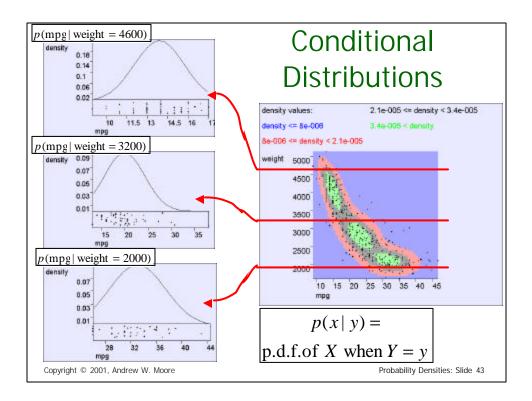


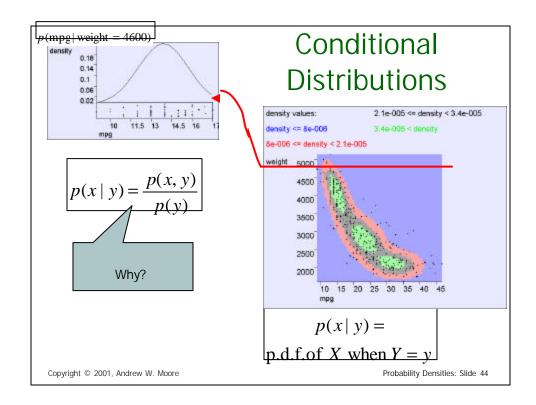


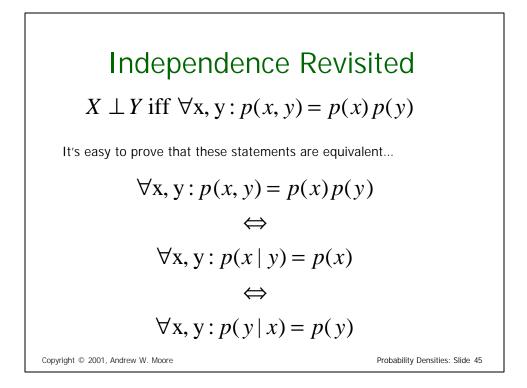


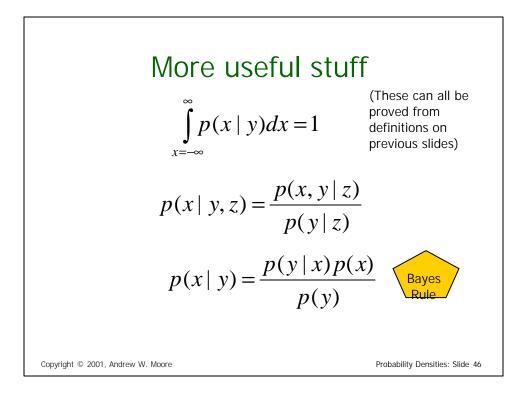


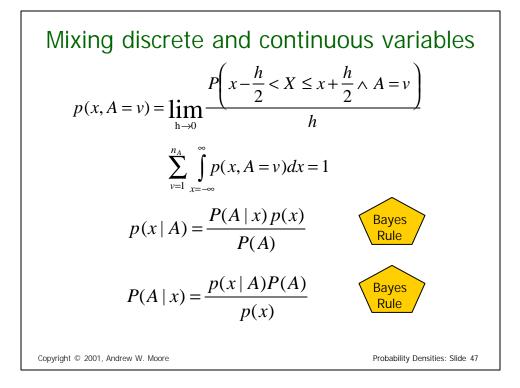


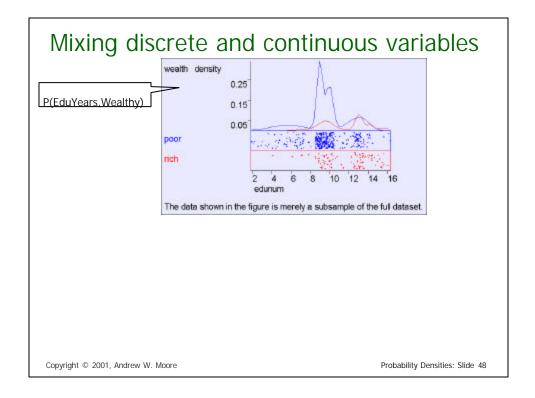


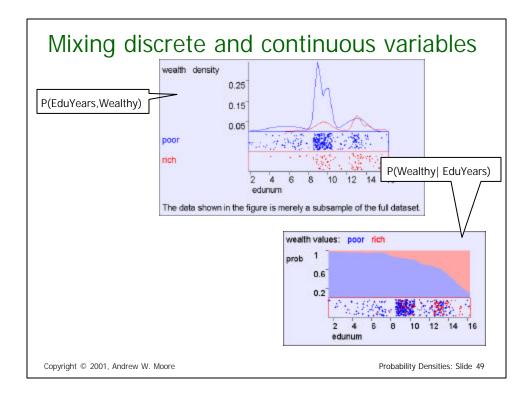


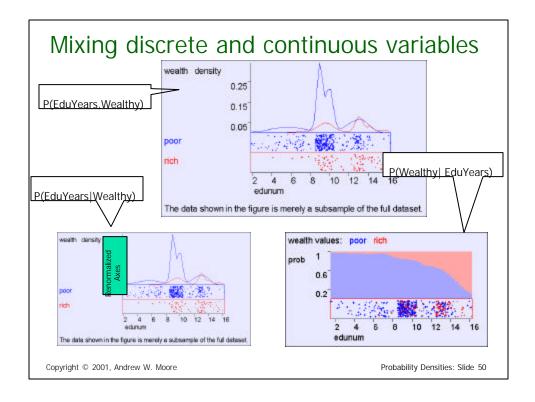












## What you should know

- You should be able to play with discrete, continuous and mixed joint distributions
- You should be happy with the difference between p(x) and P(A)
- You should be intimate with expectations of continuous and discrete random variables
- You should smile when you meet a covariance matrix
- Independence and its consequences should be second nature

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Probability Densities: Slide 51

